

Instructions: Fill in the table and use that information to calculate the expected value of each scenario.

1. In a Pick 4 game you can win \$100 if you pick all 4 numbers correctly, and \$5 if you get three of the numbers correct. You earn nothing otherwise, but have to pay \$1 to play. What is the expected value of each ticket that you purchase?

Value of Event (Winnings - \$1 to play) Probability of Event

All 4 match

Three of 4 match

None Match

2. In a raffle, 250 tickets are sold. The top prize is \$1000. The second prize is \$200. The third prize is \$50. There are 4 fourth prizes worth \$10 each. It costs \$10 to purchase a ticket. Complete the table below and use it to calculate the expected value of purchasing a raffle ticket. 1st prize

2<sup>nd</sup> prize

Value of Event (Winnings -\$10 to play) Probability of Event

3<sup>rd</sup> prize

56-10=

4th prize

$$\frac{4}{250}$$
  $1-\frac{7}{250}=\frac{243}{250}$ 

Win nothing

990 
$$\left(\frac{1}{250}\right)$$
 + 190  $\left(\frac{1}{250}\right)$  + 40  $\left(\frac{1}{250}\right)$  + 0  $\left(\frac{4}{250}\right)$  - 10  $\left(\frac{243}{250}\right)$  =

3. An insurance company charges \$250 for a home-owner's policy. It expects to pay out \$100,000 to replace the house with probability 0.0001, it expects to pay out \$10,000 with probability 0.005, and it expects to pay out \$500 with probability 0.03. Find the expected value of the policy.

Value of Event (Payout - \$250 for policy) Probability of Event	Replace Home	Major Damage	Minor Damage	No Damage
	100,000-250 = 99,750	10,000-250 = 97 <b>55</b>	500-250	0 - 250 =
	.000(	,005	,03	10001-
				.9649

4. Suppose you are playing a game with a friend according to the following rules: You flip a coin and roll a die at the same time. If the coin comes up heads at the same time the die comes up a 6, he'll pay you \$120. If the coin comes up a tail, and the die is odd then you pay him \$40. In all other scenarios, it's a draw. What is the expected value of this game? Is it fair?

	Heads + 6	Tails + Odd	Heads + (2 or 4)
Value of Event (Note the signs) Probability of Event	120	-40	0
	6. = 1	12. = 4	3/3

$$120(\frac{1}{12}) - 40(\frac{1}{4}) + 0 = 0$$

 $|20(\frac{1}{12}) - 40(\frac{1}{4}) + 0 = 0$ Yes, this game is fair