## TI 83/84 Hypothesis Testing: Two Proportions

The TI-83/84 calculator can be used to conduct two sample hypothesis tests for proportions from two samples.

## **Compare two proportions:**

**Example:** In the last 10 years 51 of the 319 first round picks in the NFL draft have made multiple Pro-Bowls (the NFL version of an All-Star game). Over that same time span 35 of the 295 NBA first round picks have made multiple All-Star teams. Use your calculator to test if there is enough evidence at the 5% level to suggest that an NFL first round pick is more likely to go to multiple All-Star games than an NBA first round pick.

*Procedure*: For this test we will be using a 2-proportion *z*-test since both sample np and nq is larger than 5 for each of the two samples. In this case  $H_0$ :  $p_1 = p_2$  and  $H_a$ :  $p_1 > p_2$ . To test:

- Press the button on your calculator
- Use the arrow key to move over to the **TESTS** menu
- From this menu select 6:2-PropZTest by typing





- In the menu that comes up enter the number of successes and the sample sizes for the two proportions you would like to compare
- Select the appropriate test type based on your alternative hypothesis
  - Highlight Calculate and hit the key:

2-PropZTest ×1:51 n1:319 ×2:35_	2-PropZTest p1>p2 z=1.470765299 p=.0706773354	2-PropZTest p1>p2 ff1=.1598746082 f2=.1186440678
n2:295 p1:≠p2 <p2 <b="">≥52</p2>	P1=.1598746082 P2=.1186440678	A=.1400651466   n1=319   n=305
calculate Draw	↓P=.1400631466	nz=295

You can now complete your hypothesis test either by comparing the test statistic (z) to critical values or by comparing the P-value to the  $\alpha$  level given in the problem. In this case, since the P-value is greater than the  $\alpha$  level given in the problem (.05) we do not reject H<sub>o</sub> and can say that at the 5% level of signifigance there is not enough evidence to say that a first round NFL draft pick is more likely to be selected to multiple All-Star teams than a first round NBA draft pick.