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Team Problems for Chapter 7

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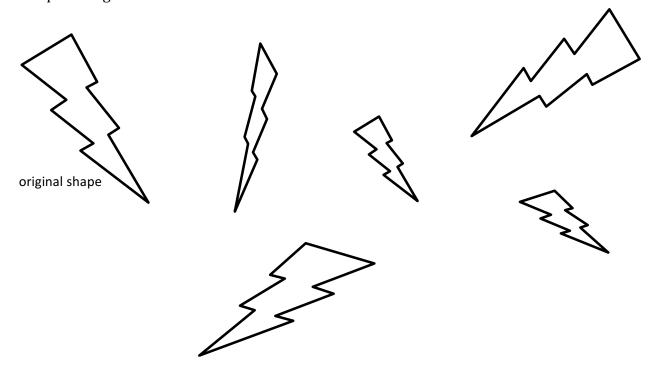
Problem #1: The Capture-Recapture Method

To determine the number of deer in a forest, a forest ranger tags 280 of them and releases them back into the forest. Later, 405 deer are caught, out of which 45 of them are tagged. Set up and solve a proportion to estimate how many deer are in the forest.

Problem #2: Mathematical Similarity versus Similarity in Everyday Language

In mathematics, the terms similar and similarity have a much more specific meaning than they do in everyday language.

Examine the shapes that follow. In everyday language, we might say that all the shapes are similar. However, mathematically speaking, only two of them are. Identify the mathematically similar shapes and give a scale factor for each.



Sometimes a problem that looks as if it could be solved by setting up a proportion actually can't be solved that way. Before you set up a proportion to solve a problem, ask the following question about quantities in the problem: If I double one of the quantities, should the other quantity also double? If the answer is no, then you cannot solve the problem by setting up a proportion.

Problem #3: Can you always use a proportion? (Part 1)

Read the text in the box above, then answer the following.

Ken used 3 loads of stone pavers to make a circular (i.e., circle-shaped) patio with a radius of 10 feet. Ken wants to make another circular patio with a radius of 15 feet, so he sets up the proportion

$$\frac{3 \text{ loads}}{10 \text{ feet}} = \frac{x \text{ loads}}{15 \text{ feet}}$$

Is this correct? If not, why not? Is there another proportion that Ken could set up to solve the problem? (The area of a circle that has radius r units is πr^2 square units.)

Problem #4: Can you always use a proportion? (Part 2)

Read the text in the box above, then answer the following.

In a cookie factory, 4 assembly lines make enough boxes of cookies to fill a truck in 10 hours. How long will it take to fill the truck if 8 assembly lines are used? Is the proportion

$$\frac{10 \text{ hours}}{4 \text{ lines}} = \frac{x \text{ hours}}{8 \text{ lines}}$$

appropriate for this situation? Why or why not? If not, can you solve the problem another way? (Assume that all assembly lines work at the same steady rate.)

Problem #5: Using Scaling to Understand Astronomical Distances

Ms. Frizzle's class has been studying planets and stars. Ms. Frizzle wants to help the students get a better sense of astronomical distances by scaling down these distances. The table that follows shows the distances in kilometers from the sun to the earth, the sun to Pluto, and the sun to Alpha Centauri. Alpha Centauri is one of the closest stars to the sun.

Heavenly Body	Approximate Distance from Sun		
Earth	150 million km		
Pluto	5.9 billion km		
Alpha Centauri	38 trillion km		

If Ms. Frizzle represents the distance from the earth to the sun as 10 centimeters (about the width of a hand), then how should she represent the distance from Pluto to the sun?

How should she represent the distance from Alpha Centauri to the sun?

Will Ms. Frizzle be able to show these distances in her classroom?